



NOVA SCOTIA EXAMINATIONS

PHYSICS 12

JANUARY 2003

MARKING GUIDE

**January 2003 Physics 12
Multiple Choice Answers
Total Value 40**

- | | <u>SCO</u> | | <u>SCO</u> |
|-------|------------|-------|---------------|
| 1. A | ACP 1 | 21. A | 328-1 |
| 2. B | ACP 1 | 22. B | 329-3 |
| 3. A | ACP 1 | 23. D | 329-1 |
| 4. A | ACP 1 | 24. D | 329-1 |
| 5. A | ACP 1 | 25. C | 327-11 |
| 6. B | 213-5 SHM | 26. C | 327-11 |
| 7. A | 213-5 SHM | 27. B | 115-3 deB |
| 8. A | 327-4 | 28. D | 327-9 |
| 9. B | 325-6 | 29. C | 326-9 |
| 10. D | 325-6 | 30. B | 326-9 |
| 11. C | 325-6 | 31. C | 329-4 |
| 12. C | 325-6 | 32. C | 329-4 |
| 13. D | 325-12 | 33. B | 329-4 |
| 14. C | 325-13 | 34. A | 329-6 |
| 15. B | 326-3 | 35. A | 329-4 |
| 16. C | 326-3 | 36. B | 115-5 fission |
| 17. A | 215-2 Ug | 37. A | 329-4 |
| 18. A | 328-5 | 38. B | 115-5 fission |
| 19. C | 328-9 | 39. D | 329-6 |
| 20. B | 328-7 | 40. C | 329-4 |

41. Note to markers: This question should provide an opportunity to see whether students organize and solve expressions before replacing variables with data. The final answer should not receive more than 2 out of the total five marks.

The horizontal components of the forces in rope 1 and rope 3 must be equal in magnitude, if the signs are in static equilibrium.

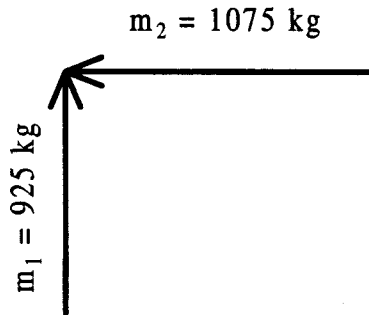
$$F_{x1} = F_{x2}$$

$$\frac{m_1 g}{\tan 60^\circ} = \frac{m_2 g}{\tan 40.9^\circ}$$

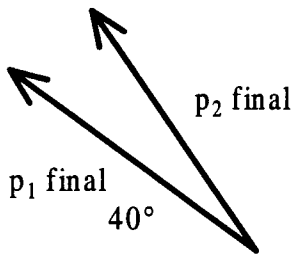
$$m_2 = m_1 \frac{\tan 40.9^\circ}{\tan 60.0^\circ} = 1.25 \text{ kg}$$

total value = 5

42. before:



after: m_1 has a velocity of 52.0 km/hr, 40.0° N of W, and m_2 has a speed of 40.0 km/hr, 50.0° N of W.



**diagrams and interpretation
value: 2**

The sum of the components of the momenta is the same before and after the collision.

p_1 after = $925 \text{ kg} \times 52.0 \text{ km/hr} = 4.81 \times 10^4 \text{ kg}\cdot\text{km/hr}$ at 40.0° N of W.

$$p_{1x}(\text{after}) = (4.81 \times 10^4 \text{ kg}\cdot\text{km/hr})(\cos 40.0^\circ) = 3.68 \times 10^4 \text{ kg}\cdot\text{km/hr}, \text{ W}$$

$$p_{1y}(\text{after}) = (4.81 \times 10^4 \text{ kg}\cdot\text{km/hr})(\sin 40.0^\circ) = 3.09 \times 10^4 \text{ kg}\cdot\text{km/hr}, \text{ N}$$

p_2 after = $1075 \text{ kg} \times 40.0 \text{ km/hr} = 4.30 \times 10^4 \text{ kg}\cdot\text{km/hr}$ at 50.0° N of W.

$$p_{2x}(\text{after}) = (4.30 \times 10^4 \text{ kg}\cdot\text{km/hr})(\cos 50.0^\circ) = 2.76 \times 10^4 \text{ kg}\cdot\text{km/hr}, \text{ W}$$

$$p_{2y}(\text{after}) = (4.30 \times 10^4 \text{ kg}\cdot\text{km/hr})(\sin 50.0^\circ) = 3.29 \times 10^4 \text{ kg}\cdot\text{km/hr}, \text{ N}$$

$$\sum p_x = 6.44 \times 10^4 \text{ kg}\cdot\text{km/hr}, \text{ W} \quad \text{before and after}$$

$$\sum p_y = 6.38 \times 10^4 \text{ kg}\cdot\text{km/hr}, \text{ N} \quad \text{before and after}$$

value: 1

value: 1

$$\therefore v_2 \text{ before} = p_x / m_2 = \frac{6.44 \times 10^4 \text{ kg}\cdot\text{km/hr}}{1075 \text{ kg}} = 60.0 \text{ km/hr}, \text{ W}$$

value: 2

$$v_1 \text{ before} = p_y / m_1 = \frac{6.38 \times 10^4 \text{ kg}\cdot\text{km/hr}}{925 \text{ kg}} = 69.0 \text{ km/hr}, \text{ N}$$

value: 2

43. Initial velocity: 20.0 m/s, 37.0° from the horizontal.

- A) $v_x = 20.0 \text{ m/s} (\cos 37.0^\circ) = 16.0 \text{ m/s}$ to the right **value: 1/2**
 $v_y = 20.0 \text{ m/s} (\sin 37.0^\circ) = 12.0 \text{ m/s}$ up **value: 1/2**

$$a = \frac{v_f - v_i}{\Delta t}$$

$$\Delta t_{up} = \frac{v_f - v_i}{a} = \frac{0 - 12 \text{ m/s}}{-9.80 \text{ m/s}^2} = 1.22 \text{ s} \quad \text{value: 1}$$

total time in air = 2.44 s

value: 1

- B) $\Delta d = v_x \Delta t = (16.0 \text{ m/s})(2.44 \text{ s}) = 39.0 \text{ m}$ is the range **value: 2**

- C) for second half of flight, from top to bottom

$$\Delta d = v_y \Delta t + \frac{1}{2} a \Delta t^2 = 0 + \frac{1}{2} (-9.80 \text{ m/s}^2) (1.22 \text{ s})^2 = -7.29 \text{ m (down)}$$

Therefore the height reached by the ball is 7.29 m **value: 2** (**v² formula varies**)

- D) The horizontal component of the velocity as it reaches the ground is 16.0 m/s, right.

$$v_f = v_i + a \Delta t = 0 + (-9.80 \text{ m/s}^2) (1.22 \text{ s}) = -12.0 \text{ m/s}$$

This is the same magnitude as the vertical component at launch, but in the downward direction. **value: 2**

44.

A)

$$\frac{r_e^3}{T_e^2} = \frac{r_o^3}{T_o^2}$$

value: 3

$$T_o = \sqrt{\frac{r_o^3 \times T_e^2}{r_e^3}} = \sqrt{\frac{(10r_e)^3 (365 \text{ days})^2}{r_e^3}} = 11500 \text{ days}$$

B)

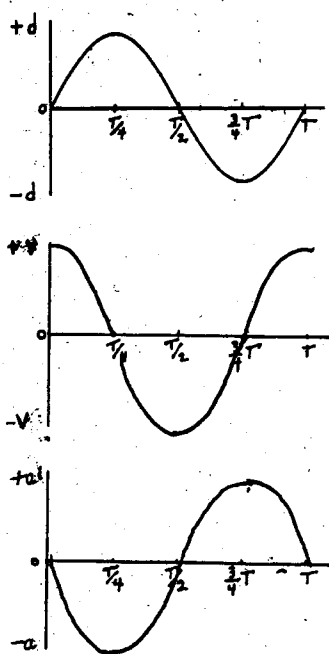
$$v_c = \frac{2\pi r}{T} = \frac{2\pi(10 \times 1.50 \times 10^{11})}{11500 \text{ days}(24 \text{ hr/day})(3600 \text{ s/hr})} = 9490 \text{ m/s}$$

value: 2

45. The radius of Jupiter is larger than the radius of the Earth. Gravitational force is related inversely to distance **squared**. The radius of Jupiter would be needed to provide a calculated answer.

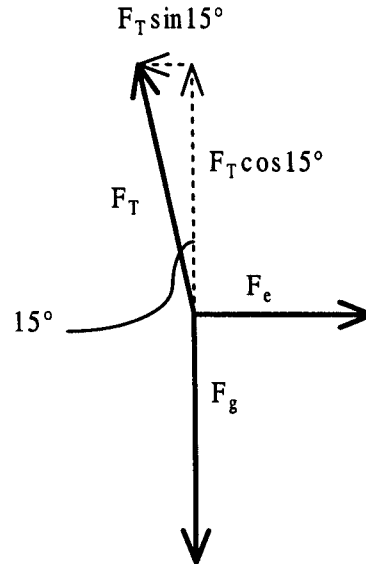
value: 3

46.



value: 2

47. A)



The diagram shows the forces acting on the right-hand pith ball.

$$F_T \cos 15^\circ = F_g$$

$$F_T = \frac{F_g}{\cos 15^\circ} = \frac{(2.0 \times 10^{-3} \text{ kg})(9.80 \text{ m/s}^2)}{.966} = 0.020 \text{ N}$$

value: 2

B)

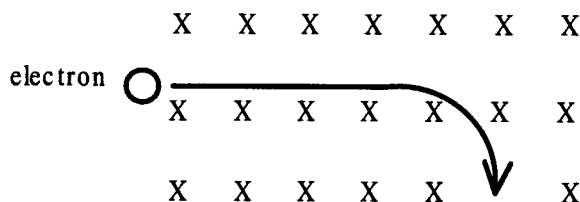
$$F_e = F_T \sin 15^\circ = \frac{kq^2}{r^2}$$

$$q = \sqrt{\frac{F_T \sin 15^\circ r^2}{k}} = \sqrt{\frac{(0.020 \text{ N})(\sin 15^\circ)(0.15 \text{ m})^2}{9.0 \times 10^9 \text{ Nm}^2/\text{C}^2}} = 1.1 \times 10^{-7} \text{ C}$$

value: 5

NOTE: mark allocation will vary, depending on the approach the student takes. For example, many students may find F_e as a separate step, and then use that value in the final solution.

48. A) The electron will curve to the right (clockwise) in an approximately circular curve.



value: 1

B)

$$F_m = F_c$$

$$qvB = \frac{mv^2}{r}$$

$$r = \frac{mv}{qB} = \frac{(9.11 \times 10^{-31} \text{ kg})(5.0 \times 10^5 \text{ m/s})}{(1.6 \times 10^{-19} \text{ C})(4.0 \times 10^{-2} \text{ T})} = 7.1 \times 10^{-5} \text{ m}$$

value: 3

- C) Since the force is perpendicular to the motion, the speed will not change, and therefore the kinetic energy will remain the same.

value: 2

49. A)

$$E = -\frac{13.6}{n^2} \text{ eV}$$

$$E_2 = -\frac{13.6}{2^2} = -3.4 \text{ eV}$$

$$E_3 = -\frac{13.6}{3^2} = -1.5 \text{ eV}$$

since $1 \text{ eV} = 1.6 \times 10^{-19} \text{ J}$, $E_2 = -5.4 \times 10^{-19} \text{ J}$ and $E_3 = -2.4 \times 10^{-19} \text{ J}$

and $\Delta E = (+)3.0 \times 10^{-19} \text{ J}$

value: 3

49. B)

$$E = \frac{hc}{\lambda} \quad \lambda = \frac{hc}{E} = \frac{(6.626 \times 10^{-34} \text{ Js})(3.0 \times 10^8 \text{ m/s})}{3.0 \times 10^{-19} \text{ J}} = 660 \text{ nm}$$

value: 2

This is in the visible range of 400-750 nm

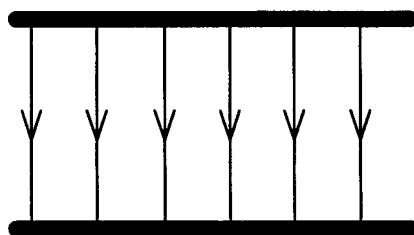
50. **Case Study**

- A) Air friction supplied the force by which electrons were stripped from droplets. **value: 1**

B)

positive

negative



The sketch should show a straight line field directed from positive to negative.

value: 1

C) $E = \frac{F_e}{q}$ $F_e = qE = (4.8 \times 10^{-19} \text{ C})(2.62 \times 10^6 \text{ N/C}) = 1.26 \times 10^{-12} \text{ N}$

value: 1

D)



value: 1

E) $E = \frac{F_e}{q}$ $F_e = F_g = mg$ therefore $E = \frac{mg}{q}$

value: 2

F) $\frac{mg}{q} = \frac{V}{d}$ $q = \frac{dmg}{V}$

value: 1

G) $q = \frac{dmg}{V} = \frac{(1.60 \times 10^{-3} \text{ m})(3.00 \times 10^{-15} \text{ kg})(9.80 \text{ m/s}^2)}{4200 \text{ V}} = 1.12 \times 10^{-20} \text{ C}$

value: 1

- H) No, selecting data to prove a point is not acceptable. If a clear reason to discount certain trials existed, the trials deleted and the reasoning should be published in a report for peer review. **value: 2**