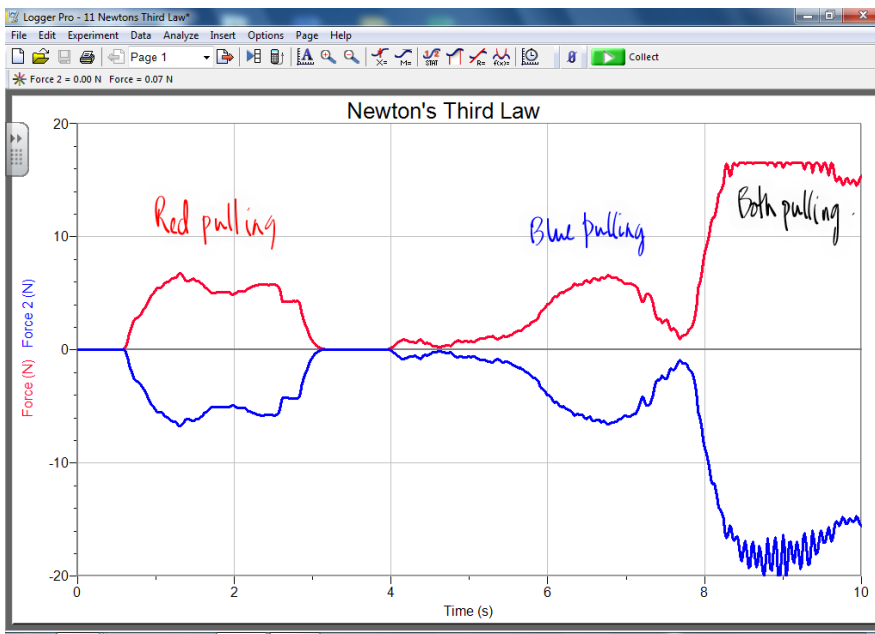


## §5-3 Newton's Third Law

Recall Thought Experiment from p153, #1:

You said: 0-A, 2-B, 17-C, **12-D** ✓

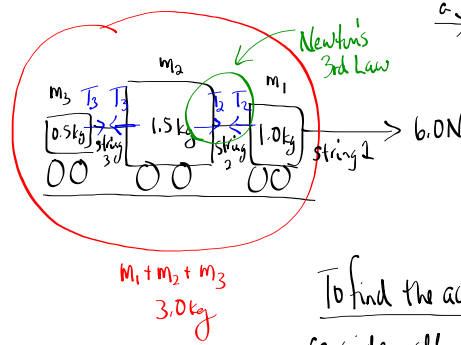


## Newton's Third Law (see p178)

For every action force on object B due to object A, there is a reaction force, equal in magnitude but opposite in direction due to object B acting back on object A.

$$\vec{F}_{B \text{ on } A} = - \vec{F}_{A \text{ on } B}$$

Example - A pull toy



- frictionless
- find the tension in each string.

To find the acceleration:  
consider all 3 masses combined

$$\vec{F}_{net} = m\vec{a}$$

$$F_a = m a$$

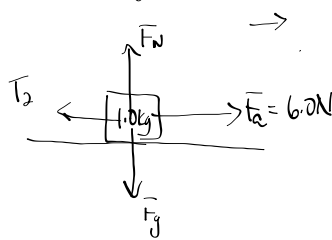
$$a = \frac{F_a}{m}$$

$$a = \frac{6.0N}{3.0kg}$$

$$a = 2.0m/s^2$$

The tension in the first string (attached to the first cart) is 6.0N (the applied force)

Consider only Cart 1



$$\vec{F}_{net} = m\vec{a}$$

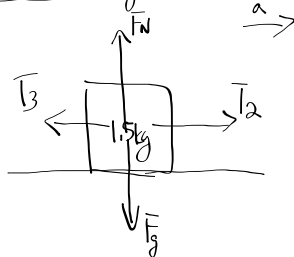
$$F_a - T_2 = m a$$

$$6.0N - T_2 = (1.0kg)(2.0m/s^2)$$

$$6.0N - T_2 = 2.0N$$

$$T_2 = 4.0N$$

Consider Only Cart 2:



$$\vec{F}_{net} = m\vec{a}$$

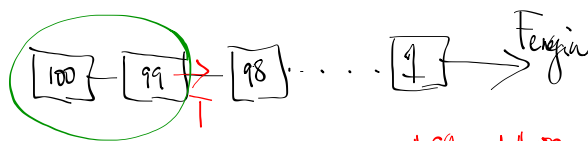
$$T_2 - T_3 = m a$$

$$4.0N - T_3 = (1.5kg)(2.0m/s^2)$$

$$4.0N - T_3 = 3.0N$$

$$T_3 = 1.0N$$

What if you had a train with 100 cars and you wanted to find the Tension in the connection between # 98 and # 99?



This T acts on # 99 and # 100 combined together.

MP|184

$m = 55 \text{ kg}$

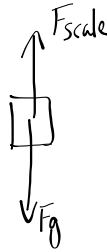
$\vec{a} = 0.55 \text{ m/s}^2 \text{ [up]}$

$F_{\text{scale}} = ? \text{ (not moving)}$

$F_{\text{scale}} = ? \text{ (moving)}$

Not Moving:

$a = 0$



$\vec{F}_{\text{net}} = m\vec{a}$

$F_{\text{scale}} - F_g = ma$

$F_{\text{scale}} = F_g$

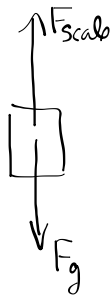
$F_{\text{scale}} = (55 \text{ kg})(9.8 \text{ m/s}^2)$

$F_{\text{scale}} = 5.6 \times 10^2 \text{ N}$

You feel like your normal weight when the elevator is not moving OR the elevator is moving at a constant velocity

b) moving up with acc:

$0.55 \text{ m/s}^2$  ↑



$\vec{F}_{\text{net}} = m\vec{a}$

$F_{\text{scale}} - F_g = ma$   $-9.8 \text{ m/s}^2$

$F_{\text{scale}} - 539.55 \text{ N} = (55 \text{ kg})(0.55 \text{ m/s}^2)$

$F_{\text{scale}} - 539.55 \text{ N} = 30.25 \text{ N} - 539.55 \text{ N}$

$F_{\text{scale}} = 569.80 \text{ N}$  ON

$F_{\text{scale}} = 5.7 \times 10^2 \text{ N}$

You will feel heavier when there is + acceleration

⇒ going up / speeding up  
⇒ going down / slowing down.

This means you feel heavier!

You will feel lighter when there is neg. acceleration

⇒ going up / slowing down  
⇒ going down / speeding up

What happens if someone cuts the cable ???  
Then you feel weightless.

TODO

- ① PP|182 (not #20) ~ towing questions
- ② PP|186 ~ elevator problem