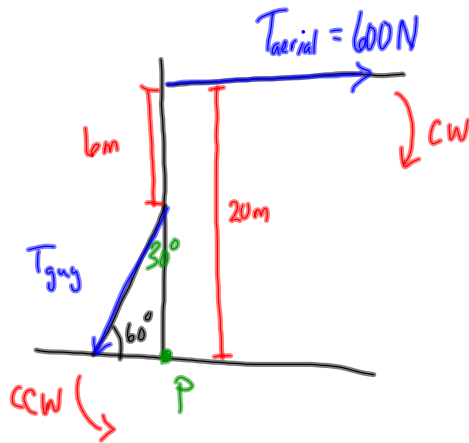


FOP/S6-3

3.



$$\sum \tau_{ccw} = \sum \tau_{cw}$$

$$\tau_{guy} = \tau_{aerial}$$

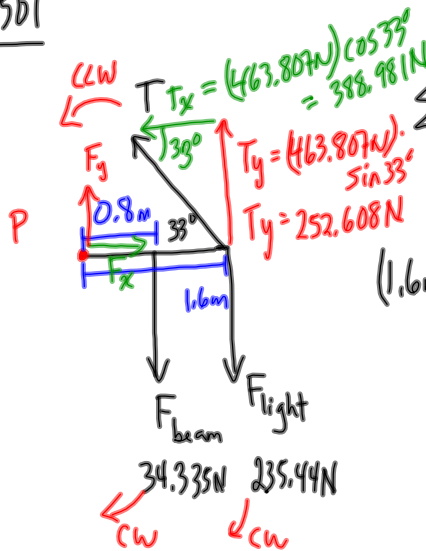
$$(14m) T_{guy} \sin 30^\circ = (20m)(600N)$$

$$T_{guy} = \frac{(20m)(600N)}{(14m)(\sin 30^\circ)}$$

$$T_{guy} = 1.7 \times 10^3 N$$

PP/501

33.



$$\sum \tau_{ccw} = \sum \tau_{cw}$$

$$\tau_T = \tau_{beam} + \tau_{light}$$

$$(1.6m) T (\sin 33^\circ) = (0.8m)(34.335N)$$

$$+ (1.6m)(235.44N)$$

$$T = \frac{27.468 + 376.704 N \cdot m}{(1.6m)(\sin 33^\circ)}$$

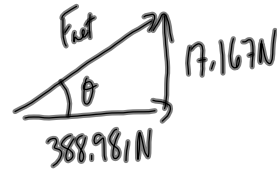
$$T = 463.807 N$$

$$T = 4.6 \times 10^2 N$$

Horizontally:

$$F_x = T_x$$

$$F_x = 388.981 N$$



Vertically:

$$F_y + T_y = F_{beam} + F_{light}$$

$$F_y = F_{beam} + F_{light} - T_y$$

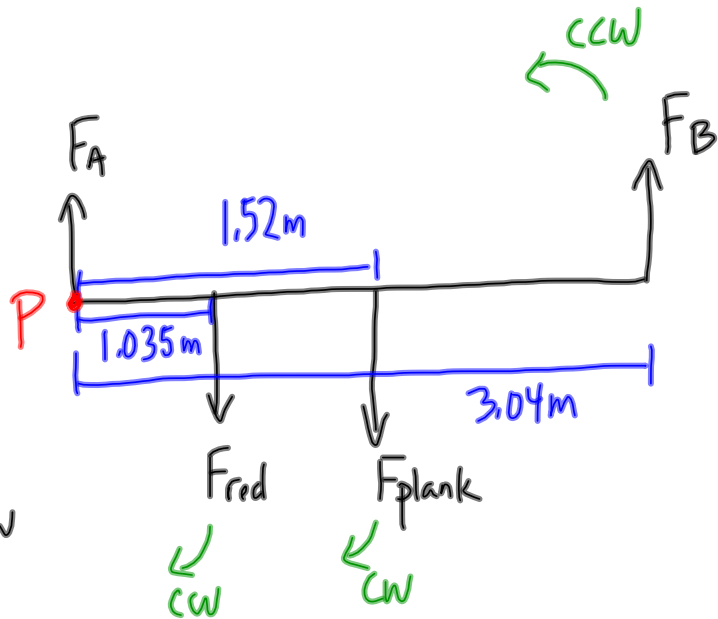
$$F_y = 34.335 N + 235.44 N - 252.608 N$$

$$F_y = 17.167 N$$

## A Bridge Problem

$$F_{red} = 620N$$

$$F_{plank} = 170N$$



$$\sum \tau_{ccw} = \sum \tau_{cw}$$

$$\tau_B = \tau_{red} + \tau_{plank}$$

$$(3.04m) \bar{F}_B = (1.035m)(620N) + (1.52m)(170N)$$

$$F_B = \frac{641.7N \cdot m + 258.4N \cdot m}{3.04m}$$

$$F_B = 296N \quad 285N$$

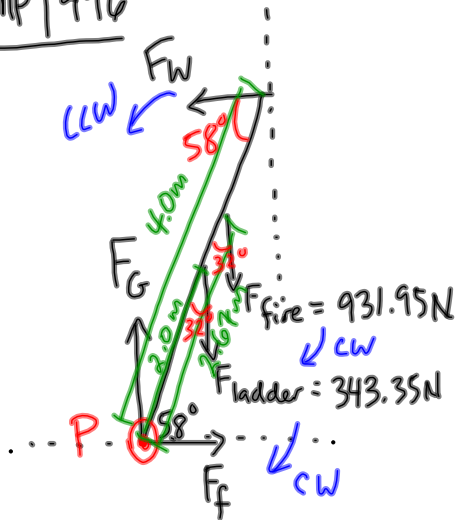
Vertically:  $F_A + \bar{F}_B = F_{red} + F_{plank}$

$$F_A = F_{red} + F_{plank} - \bar{F}_B$$

$$F_A = 620N + 170N - 296N$$

$$F_A = 494N \quad 500N$$

MP/496



$\mu = ??$

$$\sum \tau_{ccw} = \sum \tau_{cw}$$

$$\tau_w = \tau_{ladder} + \tau_{fire}$$

$$(4.0m)F_w(\sin 58^\circ) = (2.0m)(931.95N)\sin 32^\circ + (2.67m)(343.35N)\sin 32^\circ$$

$$F_w = \frac{363.896 \text{ N}\cdot\text{m} + 1318.602 \text{ N}\cdot\text{m}}{(4.0m)(\sin 58^\circ)}$$

$$F_w = 496 \text{ N}$$

Horizontally:  $F_f = F_w$

$$F_f = 496 \text{ N}$$

$$F_f = \mu F_N$$

Vertically:  $F_G = F_{ladder} + F_{fire}$

$$F_G = 343.35 \text{ N} + 931.95 \text{ N}$$

$$F_G = 1275.3 \text{ N} = F_N$$

$$\mu = \frac{F_f}{F_N}$$

$$\mu = \frac{496 \text{ N}}{1275.3 \text{ N}}$$

$$\mu = 0.39$$

TO DO:

PP/SOI/34

FOP/86-3/5-7

FOP/Problems/24, 25, 27-38