

## Chapter 6 · Work, Energy + Power

Work is not energy itself, but is related to the transfer of mechanical energy (kinetic energy, gravitational potential energy and elastic potential energy).

Work depends on the force acting on the object and the object's displacement. The force MUST act in the direction of the displacement.

$$W = F_{\parallel} \Delta d \quad \leftarrow \text{use the magnitude of } F \text{ and } \Delta d.$$

where  $W$  is the work done on the object (J)

units:

$$1 \text{ J} = 1 \text{ N} \cdot \text{m}$$

$F_{\parallel}$  is the force acting in the direction of the displacement (N)

NOTE:

Work is a scalar quantity

$\Delta d$  is the displacement (m)

MP/220

$$F_{\parallel} = 2.00 \times 10^2 \text{ N}$$

$$\Delta d = 3.00 \text{ m}$$

$$W = ?$$

$$W = F_{\parallel} \Delta d$$

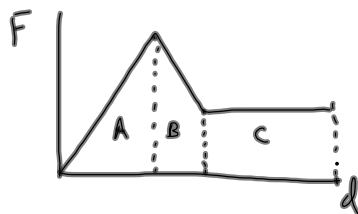
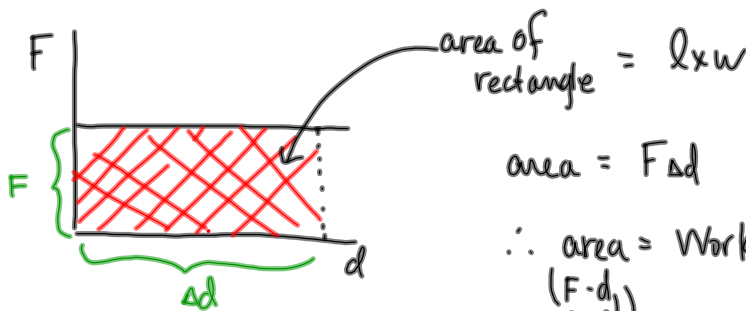
$$W = (2.00 \times 10^2 \text{ N})(3.00 \text{ m})$$

$$W = 6.00 \times 10^2 \text{ J}$$

When no work is done (p222-223)

1. When you apply a force, but there is no movement  
ex. pushing on a wall ( $\Delta d = 0$ )
2. When there is uniform motion but no force  
ex. hockey puck moving ( $F_{||} = 0$ )  
across the ice (frictionless)
3. When the force acts perpendicularly to the motion.  
ex. carrying a suitcase (there is no  $F_{||}$ )

Work from a F-d graph:



Area of triangle =  $\frac{1}{2}bh$   
 Area of trapezoid =  $\frac{1}{2}(h_1 + h_2)b$

$W = A_A + A_B + A_C$



Count the "squares" using the area of 1 "square", find the total area

OR use Calculus  
 OR use Logger Pro.

TO DO

- ① PP/221
- ② PP/225
- ③ Look over MP/227
- ④ PP/229/11