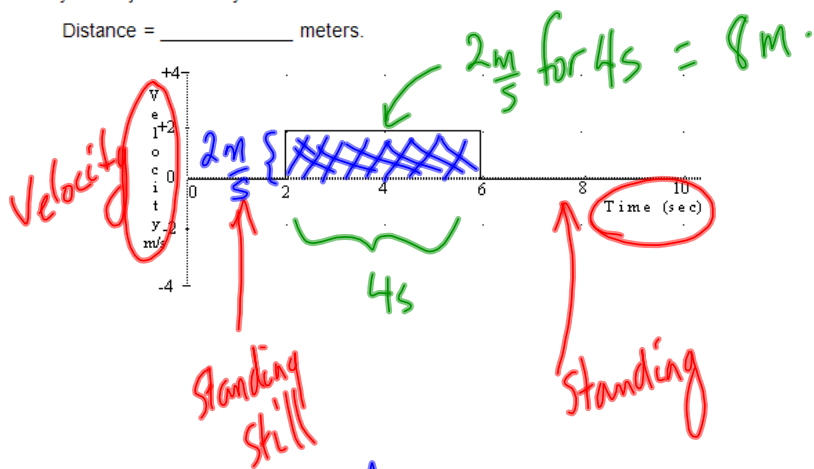
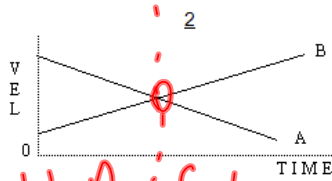
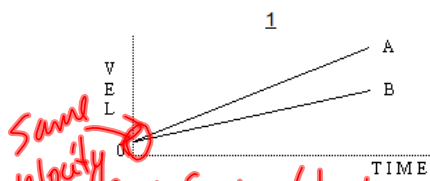


5. The velocity-time graph of an object is shown below. Figure out the total distance traveled by the object. Show your work.

Distance = _____ meters.



$$\begin{aligned}
 \text{Area of rectangle} &= l \times w \\
 &= (4s)(2\frac{m}{s}) \\
 &= 8m
 \end{aligned}$$



Same velocity

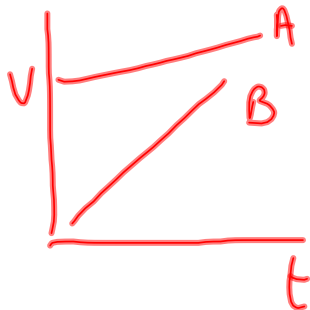
a) A is faster (higher on graph) b) A is faster at first, B is faster later.

b) same velocity

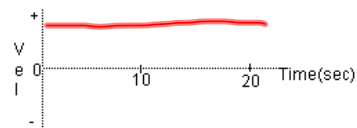
b) same velocity

c) you cannot tell which object is ahead from v-t graph.

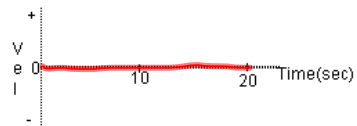
d) Neither A or B changes direction
(the velocity is always positive)



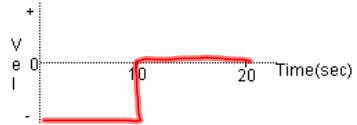
7. The object is moving away from the origin at a steady (constant) velocity.



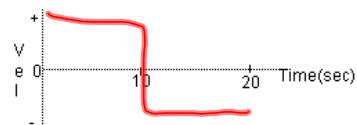
8. The object is standing still.

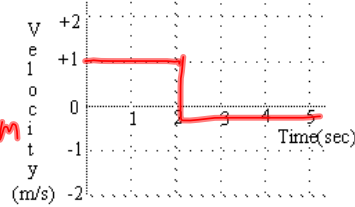
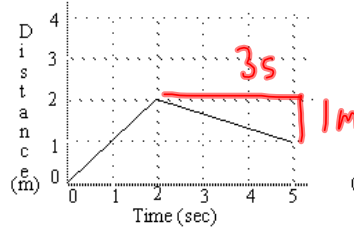
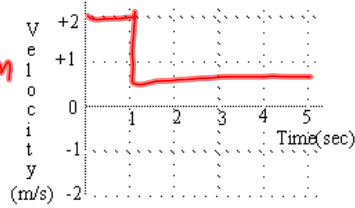
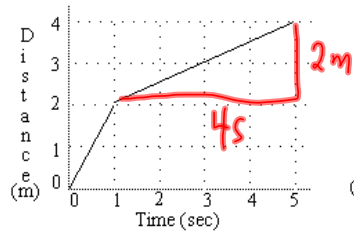
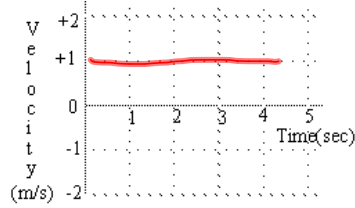
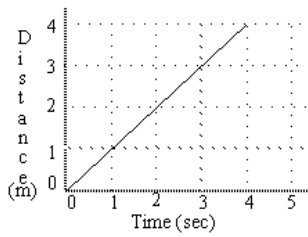


9. The object moves toward the origin at a steady (constant) velocity for 10 seconds, and then stands still for 10 seconds.

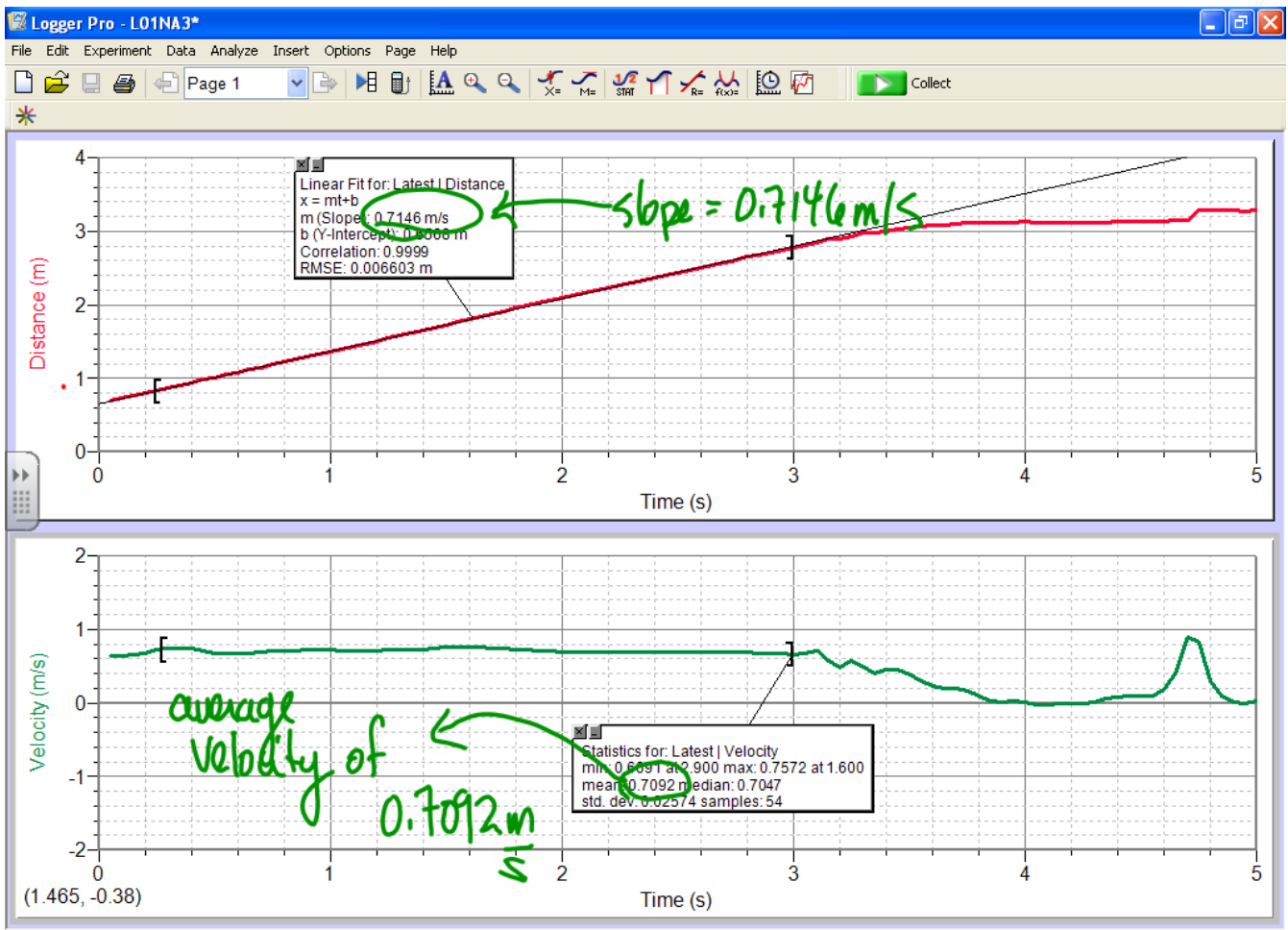


10. The object moves away from the origin at a steady (constant) velocity for 10 seconds, reverses direction and moves back toward the origin at the same speed for 10 seconds.





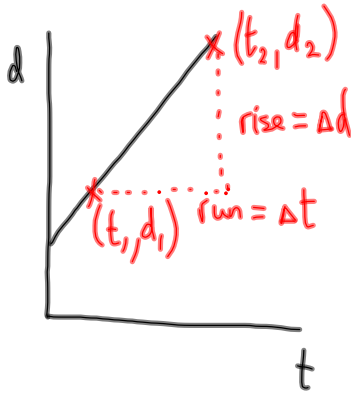
Slope on d-t:
 ① direction } velocity
 ② speed }



Position-Time Graphs and Velocity

The slope on a position-time graph tells you the speed and the direction of the object (i.e. VELOCITY)

Constant Velocity (Uniform Motion) (i.e. a linear d-t graph)



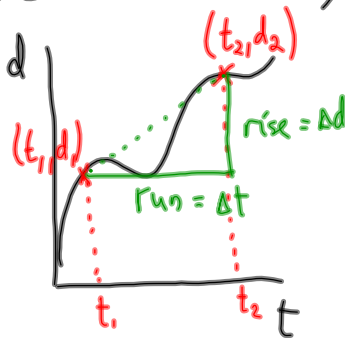
$$\text{slope} = \frac{\text{rise}}{\text{run}}$$

$$\text{slope} = \frac{\Delta d}{\Delta t}$$

From the previous DEMO, we know that velocity is equal to the slope on a d-t graph.

$$V = \frac{\Delta d}{\Delta t}$$

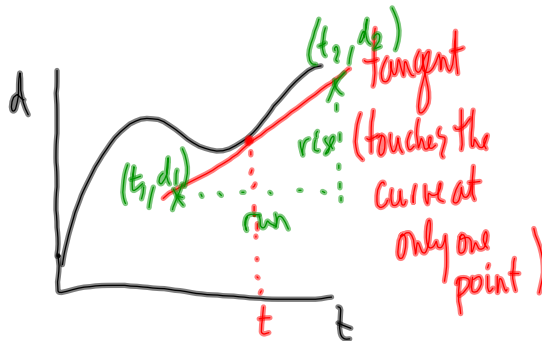
Non-Constant Velocity (Non Uniform Motion)



$$\text{slope} = \frac{\Delta d}{\Delta t}$$

$$V_{\text{ave}} = \frac{\Delta d}{\Delta t}$$

The average velocity is the slope of the line joining t_1 and t_2 .



$$\text{slope} = \frac{\Delta d}{\Delta t}$$

$$V_{\text{inst}} = \frac{\Delta d}{\Delta t}$$

Instantaneous velocity is the slope of the tangent drawn at

Kinematic Terms

position (\vec{d}) ~ Where the object is in relation to a reference point.
 ↑
 vector quantity ex: 5 km [W]

distance (Δd) - how far the object has travelled
 ↑
 scalar quantity ex: 25 km

displacement ($\Delta \vec{d}$) - change in position; Where the object is now in relation to where it started
 ↑
 vector quantity ex: 52 km [W 32° N]

speed (v) - how fast
 ↑
 scalar quantity ex: 2 $\frac{\text{cm}}{\text{s}}$

velocity (\vec{v}) - rate of change in position
 ↑
 vector quantity ex: 25 km/h [E]

Speed: $v = \frac{\Delta d}{\Delta t}$ ← total distance
 ← total time

Velocity $\vec{v} = \frac{\Delta \vec{d}}{\Delta t}$ ← overall displacement
 ← total time.

$$v = \frac{\Delta d}{\Delta t}$$

* Know this and how to rearrange!