

## Elastic Collisions

\* In every collision (neglecting friction), momentum is conserved due to Newton's Third Law:

If the objects experience equal but opposite forces during a collision, they also experience equal but opposite impulses which means they have equal but opposite changes in momenta (ie one object's loss is the other's gain)

\* Kinetic energy may or may not be conserved in a collision. If it is conserved  $\Rightarrow$  ELASTIC COLLISION

To see if a collision is elastic, you must know all the velocities  $\Rightarrow$  use conservation of momentum to find a missing velocity.

MP|320

	BEFORE		AFTER	
	Bball	Sball	Bball	Sball
M	0.250 kg	0.800 kg	0.250 kg	0.800 kg
V	+5.00 m/s	0	-2.62 m/s	v
P (mv)	+1.25 kg·m/s	+ 0	-0.655 kg·m/s +	(0.800 kg)v

+ original dir of Bball  
- opposite dir of Sball initially

$$\vec{P}_{\text{total}} = \vec{P}'_{\text{total}}$$

$$+1.25 \text{ kg}\cdot\text{m/s} + 0 = -0.655 \text{ kg}\cdot\text{m/s} + (0.800 \text{ kg})v$$

$$1.905 \text{ kg}\cdot\text{m/s} = (0.800 \text{ kg})v$$

$$v = +2.38 \text{ m/s}$$

To see if an elastic collision:  $\vec{V} = 2.38 \text{ m/s}$  [in the original direction of the Bball]

BEFORE

$$\begin{aligned} \text{Bball: } E_k &= \frac{1}{2}mv^2 = \frac{1}{2}(0.250 \text{ kg})(5.00 \text{ m/s})^2 = 3.125 \text{ J} \\ \text{Sball: } E_k &= 0 \end{aligned} \quad \left. \vphantom{\begin{aligned} \text{Bball: } E_k &= \frac{1}{2}mv^2 = \frac{1}{2}(0.250 \text{ kg})(5.00 \text{ m/s})^2 = 3.125 \text{ J} \\ \text{Sball: } E_k &= 0 \end{aligned}} \right\} 3.125 \text{ J}$$

AFTER

$$\begin{aligned} \text{Bball: } E_k &= \frac{1}{2}mv^2 = \frac{1}{2}(0.250 \text{ kg})(2.62 \text{ m/s})^2 = 0.85805 \text{ J} \\ \text{Sball: } E_k &= \frac{1}{2}mv^2 = \frac{1}{2}(0.800 \text{ kg})(2.38 \text{ m/s})^2 = 2.26576 \text{ J} \end{aligned} \quad \left. \vphantom{\begin{aligned} \text{Bball: } E_k &= \frac{1}{2}mv^2 = \frac{1}{2}(0.250 \text{ kg})(2.62 \text{ m/s})^2 = 0.85805 \text{ J} \\ \text{Sball: } E_k &= \frac{1}{2}mv^2 = \frac{1}{2}(0.800 \text{ kg})(2.38 \text{ m/s})^2 = 2.26576 \text{ J} \end{aligned}} \right\} 3.124 \text{ J}$$

Since  $E_{k\text{total}} \approx E'_{k\text{total}}$ , the collision was elastic.

TO DO:

① PP|322

② Review: p277|23-39  
p328|20-23

TEST - Thurs, Dec 9th

Chapter 6 - Work, Energy + Power

- $W = F_{\parallel} d$
- $W = F d \cos \theta$
- $W = \text{area under a } F-d \text{ graph}$
- when no work is done
- Kinetic energy:  $E_k = \frac{1}{2} m v^2$
- Gravitational Potential Energy:  $E_g = mgh$
- Elastic Potential Energy:  $E_e = \frac{1}{2} k x^2$  (Hooke's Law)  
 $F_a = kx$
- Work-Energy Theorem:  $W = \Delta E$
- Power:  $P = \frac{W}{\Delta t}$
- Efficiency =  $\frac{E_o}{E_I} \times 100\%$

Chapter 7 - Conservation of Energy + Momentum

- Law of Conservation of Mechanical Energy:  
 Single object  
 or cart/spring  
 system  
 $E_{\text{total}} = E'_{\text{total}}$   
 $E_g + E_k + E_e = E'_g + E'_k + E'_e$   
 BEFORE = AFTER  
 (neglecting friction/air resist)
- Law of Conservation of Momentum  
 $\vec{P}_{\text{total}} = \vec{P}'_{\text{total}}$  (in an isolated system)  
 $\vec{P}_A + \vec{P}_B = \vec{P}'_A + \vec{P}'_B$   
 (BEFORE) (AFTER)  
 \* use mvp chart to organize info  
 \* momentum is a vector (dir is imp)
- Elastic Collisions  $\Rightarrow$  Kinetic Energy is conserved.